In this paper I overlooked the important references:

Brosowski, B., Über die Eindeutigkeit der rationalen Tschebyscheff-Approximationen, Numer. Math. 7 (1965), 176–186.

Brosowski, B. and Stoer, J., Zur rationalen Tschebyscheff-Approximation differenzierbarer und analytischer Funktionen, Numer. Math. 12 (1968), 57–65.

In particular, in the first of these references it is proven that  $U_n/V_m$  is a unicity set if and only if  $U_n + r^*V_m$  is a Haar space for every  $r^* \in U_n/V_m$ . In my paper only one direction is mentioned.

Note also that the main question of the paper still remains open. That is, what are necessary and sufficient conditions on  $U_n$  and  $V_m$  so that  $U_n/V_m$  is a unicity set (or that  $U_n + r^*V_m$  is a Haar space for every  $r^* \in U_n/V_m$ ). In this paper we provide sufficient conditions which we believe to also be necessary.